

Name: \_\_\_\_\_ Class: \_\_\_\_\_

# Additional Science Homework

## *P2 Physics for your future*

### *Topic 4: Momentum, energy, work and power*

#### 4.13 Use the fundamental equation for power

A cyclist transfers  $7.2 \times 10^4$  J in 10s. What is her power?

E= \_\_\_\_\_ Equation: \_\_\_\_\_  
 t= \_\_\_\_\_ Insert values: \_\_\_\_\_  
 P= ?? Answer: P= \_\_\_\_\_ unit: \_\_\_\_\_

A jet fighter has a power of  $1.5 \times 10^6$  W. How much work does it do in two minutes?

E= ?? Equation: \_\_\_\_\_  
 t= \_\_\_\_\_ Rearranging: \_\_\_\_\_  
 P= \_\_\_\_\_ Insert values: \_\_\_\_\_  
 Answer: E= \_\_\_\_\_ unit: \_\_\_\_\_

A boy racer drives his Vauxhall Corsa a distance of  $1.3 \times 10^5$  m against a drag force of 6400N. It has a power of 154 kW. How long has his journey taken?

E= ?? Equation: \_\_\_\_\_  
 t= ?? Insert values: \_\_\_\_\_  
 P= \_\_\_\_\_ Answer: E= \_\_\_\_\_ unit: \_\_\_\_\_  
 F= \_\_\_\_\_ Equation: \_\_\_\_\_  
 d= \_\_\_\_\_ Rearranging: \_\_\_\_\_  
 Insert values: \_\_\_\_\_  
 Answer: t= \_\_\_\_\_ unit: \_\_\_\_\_

#### 4.15 Use the equation for gravitational potential energy (GPE)

Equation for GPE: \_\_\_\_\_ Unit: \_\_\_\_\_  
 A fell-runner runs up a 200m high hill. He has a mass of 75kg. How much gravitational potential energy does he have at the top of the hill?

m= \_\_\_\_\_ Equation: \_\_\_\_\_  
 h= \_\_\_\_\_ Insert values: \_\_\_\_\_  
 g= \_\_\_\_\_ Answer: GPE= \_\_\_\_\_ unit: \_\_\_\_\_  
 GPE= ??

An aircraft of mass  $4.0 \times 10^5$  kg is cruising at a high altitude. It has  $2.0 \times 10^{10}$  J of GPE. What is its altitude?

m= \_\_\_\_\_ Equation: \_\_\_\_\_  
 h= ?? Rearranging: \_\_\_\_\_  
 g= \_\_\_\_\_ Insert values: \_\_\_\_\_  
 GPE= \_\_\_\_\_ Answer: h= \_\_\_\_\_ unit: \_\_\_\_\_

An Ipad is on a desk 1.2m from the ground. It has 8.16J of GPE. What is its mass?

m= ?? Equation: \_\_\_\_\_  
 h= \_\_\_\_\_ Rearranging: \_\_\_\_\_  
 g= \_\_\_\_\_ Insert values: \_\_\_\_\_  
 GPE= \_\_\_\_\_ Answer: m= \_\_\_\_\_ unit: \_\_\_\_\_

#### 4.16 Use the equation for kinetic energy

Equation: \_\_\_\_\_ Unit: \_\_\_\_\_  
 A motorbike of mass 300kg is travelling at 15m/s. How much kinetic energy does it have?

m= \_\_\_\_\_ Equation: \_\_\_\_\_  
 v= \_\_\_\_\_ Insert values: \_\_\_\_\_  
 KE= ?? Answer: KE= \_\_\_\_\_ unit: \_\_\_\_\_

Another motorbike has the same amount of kinetic energy, but a mass of 200kg. How fast is it moving?

m= \_\_\_\_\_ Equation: \_\_\_\_\_  
 V= ?? Rearranging: \_\_\_\_\_  
 KE= \_\_\_\_\_ Insert values: \_\_\_\_\_  
 Answer: v= \_\_\_\_\_ unit: \_\_\_\_\_

#### 4.17 Demonstrate an understanding of the idea of conservation of energy in various energy transfers

A diver has 4000 J of \_\_\_\_\_ energy at the start of the jump. He has \_\_\_\_\_ J of \_\_\_\_\_ energy as he enters the water.

Calculate the velocity of the Ipad in section 4.15 when it hits the ground.

GPE= \_\_\_\_\_ Equation: \_\_\_\_\_  
 KE= \_\_\_\_\_ Rearranging: \_\_\_\_\_  
 m= \_\_\_\_\_ Insert values: \_\_\_\_\_  
 v= ?? Answer: v= \_\_\_\_\_ unit: \_\_\_\_\_

#### 4.18 Carry out calculations on work done to show the dependence of braking distance for a vehicle on initial velocity squared (work done to bring a vehicle to rest equals its initial kinetic energy)

A car of mass 1000kg does an emergency stop from 15m/s to rest, applying a force of friction 8 000 N  
 The same car does another emergency stop, this time from 30m/s, applying the same force.  
 For each car, calculate the distance travelled to come to rest.

m= _____	Equation: _____	m= _____	Equation: _____
v= _____	Insert values: _____	v= _____	Insert values: _____
E= ??	Answer: E= _____ unit: _____	E= ??	Answer: E= _____ unit: _____
F= _____	Equation: _____	F= _____	Equation: _____
d= ??	Rearranging: _____	d= ??	Rearranging: _____
	Insert values: _____		Insert values: _____
	Answer: d= _____ unit: _____		Answer: d= _____ unit: _____

#### Conclusion

When the velocity is doubled, the stopping distance \_\_\_\_\_ because \_\_\_\_\_

\_\_\_\_\_

\_\_\_\_\_

\_\_\_\_\_

\_\_\_\_\_

\_\_\_\_\_

**4.1 Recall how the stopping distance of a vehicle is related to the thinking distance and the braking distance**

\_\_\_\_\_ distance = \_\_\_\_\_ distance + \_\_\_\_\_ distance

**4.2 Demonstrate an understanding of the factors affecting the stopping distance of a vehicle, including: a the mass of the vehicle, b the speed of the vehicle, c the driver's reaction time, d the state of the vehicle's brakes, e the state of the road, f the amount of friction between the tyre and the road surface**

Factor	Affects thinking distance	Affects braking distance	Reason
Mass of the vehicle			
Speed of the vehicle			
Distractions (loud music, mobile phone)			
Drugs / alcohol			
Faulty brakes			
Ice / rain on road			
Road surface worn down			

**4.3 Investigate the forces required to slide blocks along different surfaces, with differing amounts of friction**

Describe how you would set up an experiment to measure the force required to slide a block over surfaces to compare the friction provided by different surfaces: \_\_\_\_\_

\_\_\_\_\_

\_\_\_\_\_

**4.4 Use the equation linking momentum, mass and velocity to calculate the momentum of a moving object**

A car of mass 1200kg travels at 5m/s. Calculate its momentum, showing your workings:

m= \_\_\_\_\_ Equation: \_\_\_\_\_  
 v= \_\_\_\_\_ Insert values: \_\_\_\_\_  
 p= ?? Answer: p= \_\_\_\_\_ unit: \_\_\_\_\_

**4.5 Demonstrate an understanding of momentum as a vector quantity**

A 'vector quantity' is a quantity which has \_\_\_\_\_ and \_\_\_\_\_. Which of the following is **not** a vector quantity?

- a. Momentum
- b. Mass
- c. Velocity

Explain your answer: \_\_\_\_\_

\_\_\_\_\_

**4.6 Demonstrate an understanding of the idea of linear momentum conservation**

Linear momentum means momentum in a straight \_\_\_\_\_.

Conservation of linear momentum means that the \_\_\_\_\_ linear momentum is \_\_\_\_\_ before and after a \_\_\_\_\_.

A train carriage of mass 12 000 kg, moving at 1.5m/s collides and joins with a stationary train carriage of mass 15 000 kg. Calculate the velocity of the two joined carriages after the collision.

Before the collision	After the collision
m= _____ Equation: _____	m= _____ Equation: _____
v= _____ Insert values: _____	v= ?? Rearranged: _____
p= ?? Answer: p= _____ unit: _____	p= _____ Insert values: _____
	Answer: v= _____ unit: _____

**4.7 Demonstrate an understanding of the idea of rate of change of momentum to explain protective features including bubble wraps, seat belts, crumple zones and air bags**

When a car crashes, its momentum is reduced to \_\_\_\_\_. This can happen in a long or short time. If the reduction of momentum takes a long time, we say this is a **(high/low)** rate of change of momentum. If the reduction of momentum takes a short time, we say this is a **(high/low)** rate of change of momentum. Explain how bubble wrap, seat belts, crumple zones and air bags reduce the rate of change of momentum: \_\_\_\_\_

\_\_\_\_\_

\_\_\_\_\_

**4.8 Investigate how crumple zones can be used to reduce the forces in collisions**

Describe how you would use an accelerometer (acceleration recording device), a dynamics trolley, art straws and bubble wrap to investigate the hypothesis that the thickness of a crumple zone affects the force suffered by the trolley: \_\_\_\_\_

\_\_\_\_\_

\_\_\_\_\_

\_\_\_\_\_

**4.9 Use the equation which links force with change in momentum and time to calculate the change in momentum of a system, as in 4.6**

The car in 4.4 crashes into a brick wall, taking 0.1s to lose all of its momentum (come to a stop). Calculate the average force suffered by the car.

m= \_\_\_\_\_ Equation: \_\_\_\_\_  
 v= \_\_\_\_\_ Insert values: \_\_\_\_\_  
 u= \_\_\_\_\_ Answer: F= \_\_\_\_\_ unit: \_\_\_\_\_  
 t= \_\_\_\_\_  
 F= ??

A 0.2kg snooker ball collides with another ball, taking 0.0005s. Its velocity afterwards is 1m/s, still travelling in the same direction. The force involved is 100N.

m= \_\_\_\_\_ Equation: \_\_\_\_\_  
 v= \_\_\_\_\_ Rearranging: \_\_\_\_\_  
 u= ??  
 t= \_\_\_\_\_  
 F= \_\_\_\_\_ Insert values: \_\_\_\_\_  
 Answer: u= \_\_\_\_\_ unit: \_\_\_\_\_

**4.10 Use the equation linking work done with force and distance**

A girl drags her school bag 30m along the floor with a force of 150N. How much work has she done?

d= \_\_\_\_\_ Equation: \_\_\_\_\_  
 F= \_\_\_\_\_ Insert values: \_\_\_\_\_  
 E= ?? Answer: E= \_\_\_\_\_ unit: \_\_\_\_\_

She then puts her P.E. kit into her bag and continues to drag it another 15m, transferring 6000J before being told to put it on her shoulders. How much force did she have to apply?

d= \_\_\_\_\_ Equation: \_\_\_\_\_  
 F= ?? Rearranging: \_\_\_\_\_  
 E= \_\_\_\_\_ Insert values: \_\_\_\_\_  
 Answer: F= \_\_\_\_\_ unit: \_\_\_\_\_

If she had dragged it half this distance, how much work would she have done? Explain your answer: \_\_\_\_\_

\_\_\_\_\_

\_\_\_\_\_

**4.11 Demonstrate an understanding that energy transferred (joule, J) is equal to work done (joule, J)**

A woman has 50 000 J of GPE at the top of a diving board. How much work has she done by the time she hits the water? Explain your answer: \_\_\_\_\_

\_\_\_\_\_

\_\_\_\_\_

**4.12 Recall what power is and its unit & 4.14 Recall the unit for power in fundamental terms.**

The unit for power is: \_\_\_\_\_ This can also be written in as: \_\_\_\_\_

Power is defined as the rate of \_\_\_\_\_ (energy transferred).

The equation for power is: \_\_\_\_\_